DEVELOPMENTAL I REVIEW A

"YOUR FUTURE STARTED YESTERDAY"

1.2 PRIME FACTORIZATION

When I see the word factor, I am thinking to myself:

Ex. Factor: 36 = 36 = 36 = 36 =

A number that can only be factored into the number 1 and itself

is a _____ number

Ex. A prime number:

If it is not a prime number, than it is a ______ number Prime numbers can only be factored ______way Composite numbers can be factored into ______way

Factoring a composite number where there are only prime numbers is called



1.2 FRACTIONS
$3 \leftarrow 1 \rightarrow 1 \rightarrow 1 \rightarrow 2 \rightarrow$
Dividing with zero:
$\frac{1}{0} = $
Simplify fractions using
or
Ex. Simplify:
$\frac{24}{40} = \frac{10}{100} =$
A fraction is
or is in
if you cannot divide the numerator and denominator any further.
A fraction where the denominator is greater than the numerator is called a

A fraction where the numerator is greater than the denominator is called an

A fraction with a whole number and a fraction is called a

Converting:

Mixed \rightarrow Improper:	
Multiply the	by the
	, and then add
to the	

* Do not answer as mixed number unless asked *

Ex. Convert to an improper fraction:

3	$\frac{1}{1} =$	$1\frac{5}{-}=$
	4	6

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Improper \rightarrow Mixed:	
Divide the	into the
	The quotient is the
	, the
	is the numerator, and the
divisor is the	
* Never convert to a mixed n	umber unless asked *

Ex. Convert to a mixed number:

$$\frac{11}{4} = \frac{35}{6} = \frac{12}{3} =$$

1.2 MULTIPLYING AND DIVIDING FRACTIONS

When multiplying fractions, just multiply

		C :
Before you multiply always _		first
Simplify	&	
Never		
Ex. Multiply		
$\frac{11}{3}$ -	<u>35</u> . <u>18</u> _	_
4 2	67	-
Dividing Fractions		
Multiply by the		
Think of reciprocal as		the number
Tricks to remember:		
S	К	it
c	C	it
E	F	i+

Applying the rule makes it a _____ problem.

Ex. Divide:

$$2\frac{9}{10} \div 3\frac{4}{5} = \qquad \qquad 4 \div \frac{4}{10} =$$

When dividing or multiplying with fractions, first make sure everything is a ______. If it is not a fraction, put it over the number _____.

Exponents and Fraction	
When there is an exponent, just _	
the exponent to the	
and the	

Ex. Simplify

$$\left[\frac{4}{5}\right]^2 = \left[\frac{21}{49}\right]^2 =$$

1.2 Adding and Subtracting Fractions: LCD

In order to add or subtract fractions, they must have the same

Only add and subtract the ______. You do not do anything to the ______.

Ex. Simplify

$$\frac{2}{4} + \frac{3}{4} = \frac{6}{10} - \frac{5}{10} =$$

To add or subtract fractions with _____ denominators, find the _____ first. LCD means the

Find the LCD: find the prime factorization of both denominators. List the prime factors, and count how many times each factor occurs. Multiply each prime factor the greatest number of times you counted in any one factorization.

Ex. Find the LCD

3 and 36

10 and 12

Once you find the LCD for the denominators, change the denominators into the LCD with ______. Whatever you do to the ______, make sure you do to the ______ as well.

Ex. Simplify

4	5	- $3^3 - 1$	3
9	$\frac{1}{21}$	$- \frac{3}{8} - 1$	20

Fraction to Decimal

Convert fractions to decimals using ______.

The _____ divides into the _____.

Ex. Round to 3 decimal places

 $\frac{7}{2} = \frac{46}{9} =$

Rewrite to above fractions into long division problems below



Homework Checklist

□ Section 1.2 Fraction Review